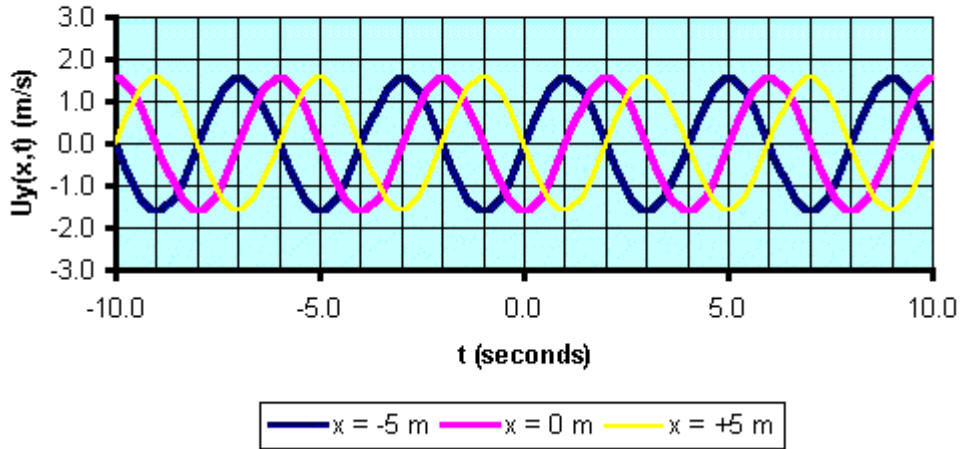


$$Uy(x,t) = -wA \cos [kx-wt] \text{ vs. } t$$



For the type of transverse waves we are used to dealing with on *e.g.* stringed instruments, such as the guitar, or violin, in order for propagation of transverse waves to occur on a string, the string must be stretched, with a tension (holding force),  $T$ . The mksa units of tension,  $T$  are the same as that for force,  $F$  - namely *Newtons* of force, or *Newtons* of tension. One Newton of force, by (Isaac) Newton's second law,  $F = ma$ , is equal to the force,  $F$  associated with accelerating a mass,  $m = 1 \text{ kilogram (kg)}$  by an acceleration,  $a = 1 \text{ m/sec}^2$ . Thus, one *Newton* =  $1 \text{ kg m/sec}^2$ .

### The Wave Equation

There are many ways to derive the wave equation - a so-called 2<sup>nd</sup> order linear, homogeneous differential equation, which describes the propagation of waves associated with a physical system, for which there are no dissipative losses. For *small amplitude* transverse waves on a string, we can consider the balance of forces and accelerations associated with an infinitesimally small segment of the string, of length  $dx$ , as shown in the figure below, for a snapshot in time, *e.g.* at  $t = 0$ .

