

At frequencies above $f > 4000 \text{ Hz}$, sound localization is increasingly due to the perceived sound intensity level **difference** of both ears – the head casts a “shadow” on the away-side ear for increasingly high frequency sounds. At low frequencies, this effect disappears due to **diffraction** of the sound wave around the head... At frequencies of $f \sim 1000 \text{ Hz}$, the sound intensity level is only $\sim 8 \text{ dB}$ greater for the ear **nearest** the source, whereas at frequencies of $f \sim 10 \text{ KHz}$, the sound intensity level difference can often be $\sim 30 \text{ dB}$.

The human ears are separated by a typical distance of $d_{\text{ears}} \sim 6''$ ($= 1/2$ foot, or $\sim 15 \text{ cm} = 0.15 \text{ m}$).

When the ear-ear separation distance is comparable to the wavelength of a sound, the corresponding (maximum) arrival time difference is $\Delta t = d_{\text{ears}}/v \sim \lambda/v = \tau_{\text{osc}} = 1/f$.

Thus, for $\lambda \sim d_{\text{ears}} \sim 0.15 \text{ m}$ and $v = 343 \text{ m/s}$ then $\Delta t \sim 0.15/343 = 0.44 \text{ ms}$ or: $f = 1/\tau_{\text{osc}} = 1/\Delta t \simeq 2300 \text{ Hz}$.

For frequencies higher than this, it becomes increasingly difficult for us to localize sound sources... The folds/creases in the pinna of our outer ears are there to aid/enhance localization of sounds in this higher frequency region!

It is also true that when $\lambda \gg d_{\text{ear}}$ (*i.e.* very low frequencies) we also have difficulties in localizing sounds – again due to **diffraction** of low frequency sound waves around our heads!

Practically, studies (we and others have carried out) show that we humans can accurately localize sounds in the frequency range of $100 \text{ Hz} \leq f \leq 1000 \text{ Hz}$.

Compare these results to our (very poor!) ability to localize sounds in **water**, where $v_{\text{H}_2\text{O}} \simeq 1500 \text{ m/s}$. The arrival time difference of sound waves (left – right) ears in water is $\Delta t_{\text{H}_2\text{O}}^{L-R} \simeq (343/1500) \Delta t_{\text{air}}^{L-R} \sim 0.2 \Delta t_{\text{air}}^{L-R} \Rightarrow 5\times$ less in water! \Rightarrow **much** harder for humans to localize sounds underwater than in air! However, many fish & other marine creatures (*e.g.* dolphins) can **easily** (and accurately) localize sounds underwater – because their hearing has been optimized for propagation of sound waves in water with speed $v_{\text{H}_2\text{O}} \simeq 1500 \text{ m/s}$!!!

Because we have lived in an air environment for millions of years, our human hearing has been specifically optimized for propagation of sound waves in **air** with speed $v_{\text{air}} \simeq 343 \text{ m/s}$!!!

Imagine how well we'd be able to localize sounds if we instead lived *e.g.* in a helium atmosphere, where $v_{\text{He}} \sim 970 \text{ m/s} \sim 3\times v_{\text{air}}$ or *e.g.* instead lived in an atmosphere of sulphur hexafluoride (SF_6), where $v_{\text{SF}_6} \sim 150 \sim 0.44\times v_{\text{air}} \text{ m/s}$!!!

