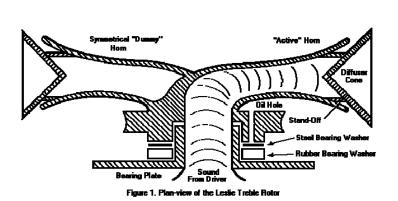
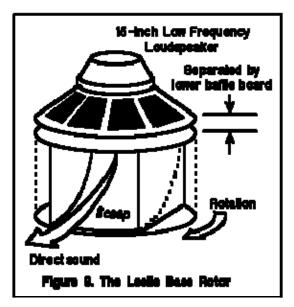
An Example of the Musical Use of the Doppler Effect - The Leslie Speaker Cabinet:

The Leslie speaker cabinet, developed by Don Leslie in ~ 1940 – most frequently used in conjunction with the venerable Hammond B3 organ (but which also can be used with guitar, bass, vocals, harmonica, ...) is a 2-way, 2-speed (fast/slow) <u>rotating</u> speaker system (with passive cross-over network) - highs ($f_{hi} > 800$ Hz) come out of a rotating horn, lows ($f_{low} < 800$ Hz) emanate from a (fixed, non-rotating) 15" woofer with rotating rotor (black cloth-covered cylinder below the 15" woofer), as shown in the 3 pix below of the back/inside of a Leslie cabinet:







The single-opening/mouth of the rotating high-frequency horn and the single-opening/mouth of the rotating rotor for the woofer act/behave as (independently) <u>rotating</u> sound sources, rotating at angular frequencies $\omega_{\rm hi}$ and $\omega_{\rm lo}$, respectively. Since the tangential velocity of a rotating object of radial size r is given by $\vec{v}_t = \vec{\omega} \times \vec{r}$, and $v_t = |\vec{v}_t| = |\vec{\omega} \times \vec{r}| = \omega r \sin \Theta = \omega r$ (since $\Theta = 90^\circ = \text{angle}$ between the $\vec{\omega}$ and \vec{r} vectors – i.e. they are perpendicular to each other), the respective hi/lo frequency rotor tangential speeds are thus $v_{\rm hi} = \omega_{\rm hi} r_{\rm hi}$ and $v_{\rm lo} = \omega_{\rm lo} r_{\rm lo}$.