



The pressure/particle velocity fields in proximity to the actual sound source inside the duct are determined largely by the image source(s) nearest to the actual sound source; the solution converges rapidly as the number of image sources is increased. However, accuracy in calculating the pressure / particle velocity fields far from the actual sound source (*i.e.* further down the duct, $\Delta x \gg a$) requires increasingly larger numbers of image sources to be included.

The image source technique is widely used *e.g.* in computational modeling of room acoustics.

The complex ***frequency-domain*** 2-D vector specific impedance/admittance, acoustic energy flow velocity, acoustic intensity and purely real, scalar energy densities, *etc.* inside the duct can all be computed (most easily accomplished *e.g.* via numerical computation...) from their definitions, for a given sound source & frequency:

$$\tilde{z}_a(x, y, \omega) \equiv \frac{\tilde{p}(x, y, \omega)}{\tilde{u}(x, y, \omega)} = \frac{\tilde{p}(x, y, \omega) \cdot \tilde{u}^*(x, y, \omega)}{|\tilde{u}(x, y, \omega)|^2} \quad (\Omega_a) \quad \text{and:} \quad \tilde{y}(x, y, \omega) \equiv \frac{\tilde{u}(x, y, \omega)}{p(x, y, \omega)} \quad (\Omega_a^{-1})$$

$$\tilde{c}_a(x, y, \omega) = \frac{1}{\rho_o} \tilde{z}_a(x, y, \omega) \quad (m/s) \quad \text{and:} \quad \tilde{I}_a(x, y, \omega) \equiv \frac{1}{2} \tilde{p}(x, y, \omega) \cdot \tilde{u}^*(x, y, \omega) \quad (Watts/m^2)$$