## Solution

D=2

D=1

D=1

## Consider a non-cubic box:

The box is stretched along the y-direction. What will happen to the energy levels? Define  $E_0 = h^2/8mL_1^2$ 

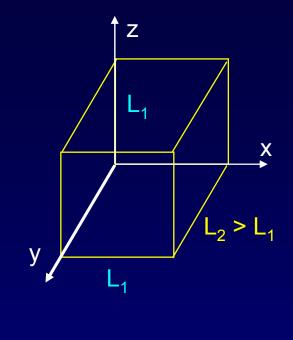
$$E_{n_{x}n_{y}n_{z}} = E_{0} \left(n_{x}^{2} + n_{z}^{2}\right) + \frac{h^{2}}{8mL_{2}^{2}} \left(n_{y}^{2}\right)$$

$$E_{0} \qquad \qquad \text{Smaller than } E_{0}$$

$$11E_{0} \qquad \qquad \text{The others are left for you.}$$

 $6E_0$  (2,1,1) (1,1,2)

(1,1,1)



- 1: The symmetry is "broken" for y, so the 3-fold degeneracy is lowered.

  A 2-fold degeneracy remains, because x and z are still symmetric.
- 2: There is an overall lowering of energies due to decreased confinement along y.