Follow-Up



A certain unnamed physics professor was arrested for running a stoplight. He said the light was green. A pedestrian said it was red. The professor then said: "We are both being truthful; you just need to account for the Doppler effect!"

How fast would the professor have to go to see the light as green?

$$(\lambda_{green} = 500 \ nm, \ \lambda_{red} = 600 \ nm)$$

A)
$$540 \ m/s$$

B)
$$5.4 \times 10^4 \, m/s$$

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 B) $5.4 \times 10^4 \text{ m/s}$ C) $5.4 \times 10^7 \text{ m/s}$ D) $5.4 \times 10^8 \text{ m/s}$

D)
$$5.4 \times 10^8 \, m/s$$

Relativistic Doppler effect: $f' = f \sqrt{\frac{1+\beta}{1-\beta}}$

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$$\frac{f'}{f} = \frac{600}{500} = \sqrt{\frac{1+\beta}{1-\beta}} \qquad \longrightarrow \qquad 36(1-\beta) = 25(1+\beta) \qquad \longrightarrow \qquad \beta = \frac{11}{61} = 0.18$$

Note approximation for small β is not bad: $f' = f(1+\beta)$ $\beta = \frac{1}{5} = 0.2$

$$c = 3 \times 10^8 \ m/s \rightarrow v = 5.4 \times 10^7 \ m/s$$



Change the charge to speeding!