## Theorem

- $(A \cap B)^c = A^c \cup B^c;$
- $(A \cup B)^c = A^c \cap B^c;$
- **3**  $(A^c)^c = A;$
- $A \setminus B = A \cap B^c;$

Recall the observation we made earlier that, at least in one case,

$$A = (A \cap B) \cup (A \setminus B).$$

Ok, but using identities above:

 $A = A \cap U = A \cap (B \cup B^{c}) = (A \cap B) \cup (A \cap B^{c}) = (A \cap B) \cup (A \setminus B).$ 

So this always holds!